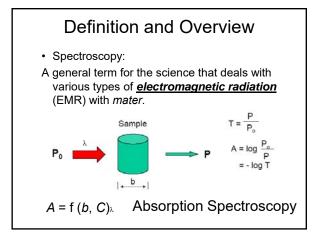
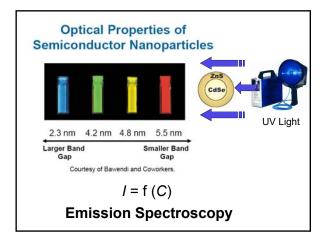
Chapter 24

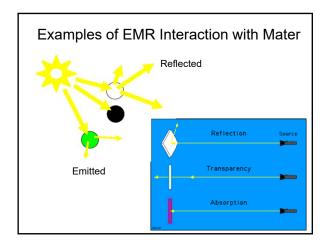
# Introduction to Spectrochemical Methods



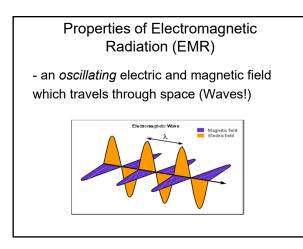








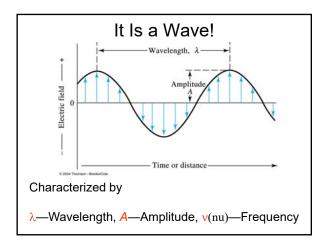




# Also, EMR

--a discrete series of "particles" that have a specific energy but have no Mass (Particles!)

Waves + Particles





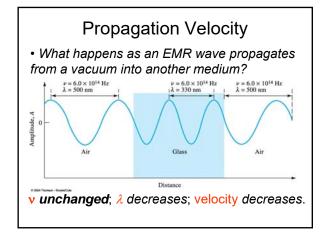
Wave Properties of EMR The product of  $\lambda$  and v is constant:  $\lambda \times v = c$ Since v has units of sec<sup>-1</sup>(hz) and  $\lambda$  has units of length, their product, c, is the *velocity* of the wave: - in a vacuum, all EMR travels at a velocity of: 2.99792458 x 10<sup>8</sup> m/s (= c) ("The Speed of Light")  $C = 3 \times 10^8$  m/s =  $3 \times 10^{10}$  cm/s =  $3 \times 10^{18}$  Å/s

## • Wavenumber

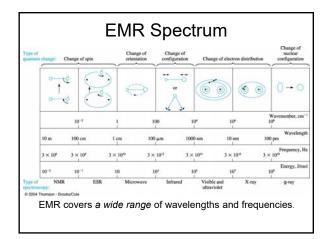
```
\overline{v} = 1/\lambda
```

-the number of waves per centimeter

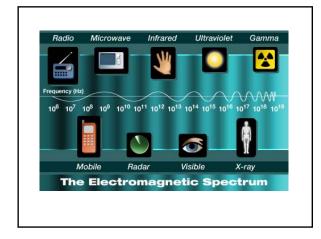
 $\overline{v}$  has the units of cm<sup>-1</sup>



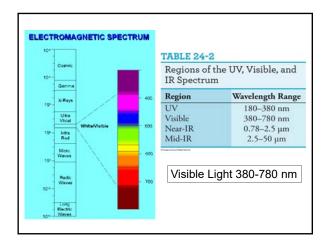














# Particle Properties of EMR

- EMR: A beam of energetic particles ("photons").
- Photon are "destroyed" after absorption by a sample.
- Energy of a photon is related to its frequency.

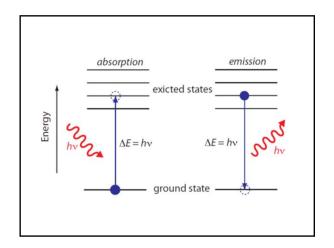
$$E = hv = h\frac{c}{\lambda} = hc\overline{v}$$

*h* is Plank's constant 
$$(6.63 \times 10^{-34} \text{ J} \cdot \text{s})$$

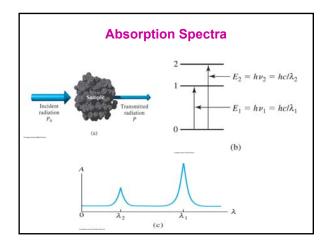
What is the energy of a photon from the sodium D line at 589 nm? **SOLUTION** 

The photon's energy is

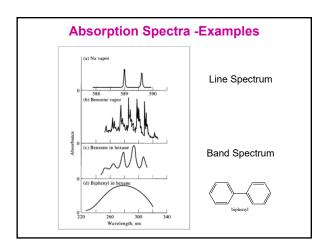
$$E = \frac{h_c}{\lambda} = \frac{(6.626 \times 10^{-34} \text{Js}) (3.00 \times 10^8 \text{ m/s})}{589 \times 10^{-9} \text{ m}} = 3.37 \times 10^{-19} \text{ Js}$$



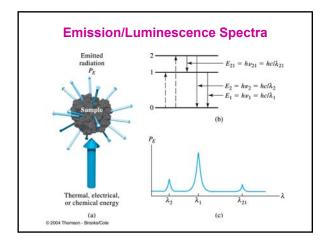




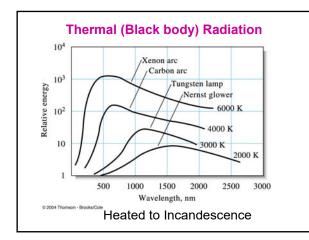




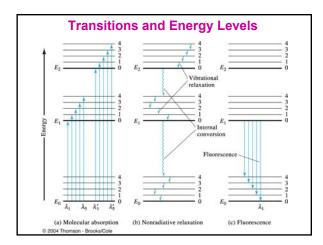




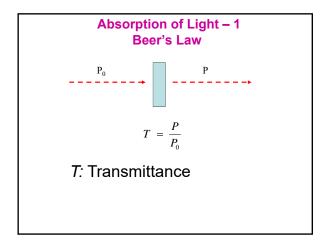




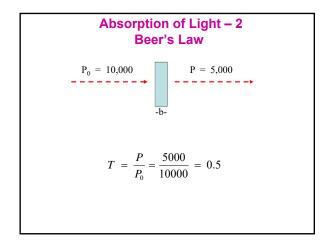




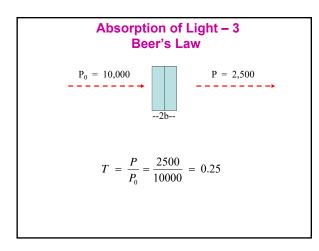




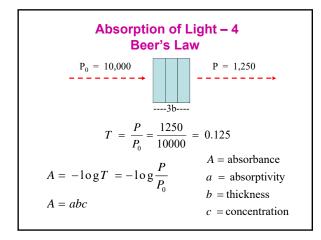




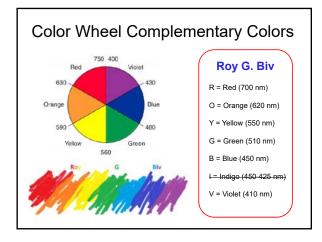




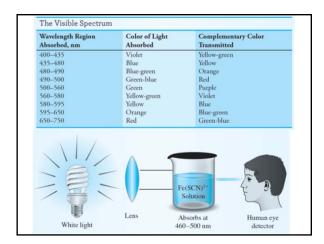




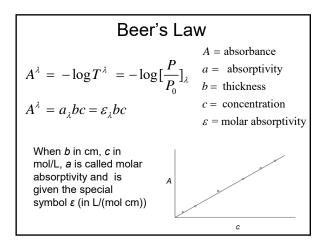












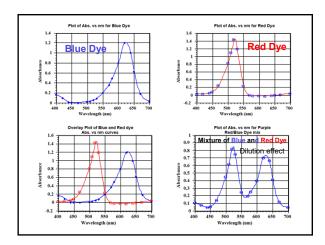


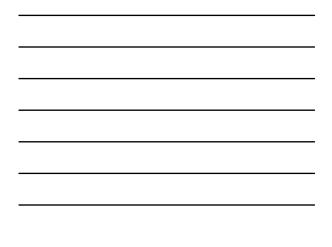
## Beer's Law for Mixture-Additive

At any given wavelength of EMR absorption:  $A^{\lambda} = \varepsilon^{\lambda} bc$ , for a mixture with *n* components, the total  $A^{\lambda}_{Total}$ :

$$A_{Total}^{\lambda} = A_{1}^{\lambda} + A_{2}^{\lambda} + \dots A_{3}^{\lambda} = \sum_{i=1}^{n} A_{i}^{\lambda} = \sum_{i=1}^{n} \varepsilon_{i}^{\lambda} bc_{i}$$

Example: Mixture of Co(II), Cr(III), Ni(II), Cu(II)







#### Example:

The concentrations of Fe<sup>3+</sup> and Cu<sup>2+</sup> in a mixture are determined following their reaction with hexacyanoruthenate (II), Ru(CN)<sub>6</sub><sup>4+</sup>, which forms a purple-blue complex with Fe<sup>3+</sup> ( $\lambda_{max} = 550$  nm) and a pale-green complex with Cu<sup>2+</sup> ( $\lambda_{max} = 396$  nm). The molar absorptivities (M<sup>-1</sup> cm<sup>-1</sup>) for the metal complexes at the two wavelengths are summarized in the following table.

$$\begin{array}{c} \varepsilon_{550} & \varepsilon_{396} \\ \hline Fe^{3+} & 9970 & 84 \\ Cu^{2+} & 34 & 856 \end{array}$$

When a sample that contains  $Fe^{3\ast}$  and  $Cu^{2\ast}$  is analyzed in a cell with a pathlength of 1.00 cm, the absorbance at 550 nm is 0.183 and the absorbance at 396 nm is 0.109. What are the molar concentrations of  $Fe^{3\ast}$  and  $Cu^{2\ast}$  in the sample?

#### Solution:

 $\begin{array}{l} A_{550}=0.183=9970C_{\rm Fe}+34C_{\rm Cu}\\ A_{396}=0.109=84C_{\rm Fe}+856C_{\rm Cu}\\ \text{To determine }C_{\rm Fe}\text{ and }C_{\rm Cu}\text{ we solve the first equation for }C_{\rm Cu}\\ C_{\rm Cu}=\frac{0.183-9970C_{\rm Fe}}{34}\\ \text{and substitute the result into the second equation.}\\ 0.109=84C_{\rm Fe}+856\times\frac{0.183-9970C_{\rm Fe}}{34} \end{array}$ 

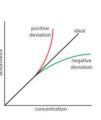
$$= 4.607 - (2.51 \times 10^5) C_{\rm Fe}$$

Solving for  $C_{\rm Fe}$  gives the concentration of Fe<sup>3+</sup> as  $1.8 \times 10^{-5}$  M. Substituting this concentration back into the equation for the mixture's absorbance at 396 nm gives the concentration of Cu<sup>2+</sup> as  $1.3 \times 10^{-4}$  M.

## Limitations to Beer's law

# 1. Concentration Limit: $\leq$ 0.10 M.

(a) At higher c the individual particles of analyte no longer are independent of each other-changing the  $\varepsilon$  value. (b) The  $\varepsilon$  value depends on the solution's refractive index that varies with the c.



# Limitations to Beer's law

2. Chemical limitations when chemical reactions occur.

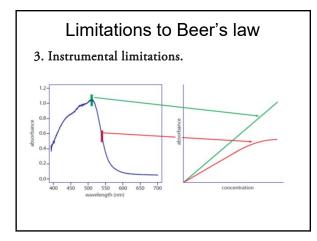
Example: different c of a weak acid dissociation in water (acid-base indicators)

HIn (Color 1, in acid) =  $H^+ + In^-$  (Color 2)

Increase total [HIn]<sub>total</sub>, [HIn] and [In<sup>-</sup>] increase non-linearly.

$c_{\rm Hin}, {\rm M}$	[HIn]	[In <sup>-</sup> ]	A430	A570
$1.00 \times 10^{-5}$	$0.88 \times 10^{-5}$	$1.12 \times 10^{-5}$	0.236	0.073
$.00 \times 10^{-5}$	$2.22 \times 10^{-5}$	$1.78 \times 10^{-5}$	0.381	0.175
$0.00 \times 10^{-5}$	$5.27 \times 10^{-5}$	$2.73 \times 10^{-5}$	0.596	0.401
$2.0 \times 10^{-5}$	$8.52 \times 10^{-5}$	$3.48 \times 10^{-5}$	0.771	0.640
$6.0 \times 10^{-5}$	$11.9 \times 10^{-5}$	$4.11 \times 10^{-5}$	0.922	0.887
	$\frac{0.600}{0} \lambda = 400 \text{ nm}$			







- Beer's Law Should be used Only for a Single Wavelength Incident Light.
- It is the basis of quantitative Analysis of Absorption Spectroscopy.

## **Photometric Titrations**

- A photometric titration curve is a plot of absorbance as a function of the volume of titrant.
- The spectrometer detects the color change of an indicator allowing the endpoint to be accurately determined.
- For example: titration of an acid and base using phenolphthalein clear → pink

$$A + T \xleftarrow{Indicator} P$$

